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3.3	√ №	24
4.	E γ "H E	29
4.1	E γ "H 7/8№	29
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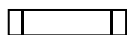
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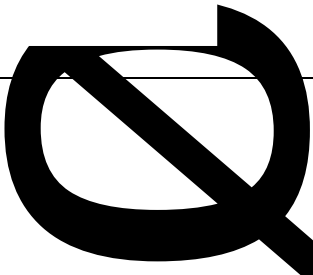
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The diagram illustrates the relationships between several variables. It features nodes labeled \$v\$, \$L\$, \$\sim\$, \$H\$, \$H_0\$, \$v\$ (multiple instances), \$\%_\infty\$, and \$v_H\$. Arrows indicate directed connections: from \$v\$ to \$L\$, from \$L\$ to \$\sim\$, from \$\sim\$ to \$H\$, from \$H\$ to \$H_0\$, from \$L\$ to \$v\$ (bottom left), from \$L\$ to \$v_H\$, and from the central \$v\$ group to \$\%_\infty\$. There are also vertical arrows pointing from \$L\$ to the top \$v\$ and from the bottom \$v\$ to \$L\$.

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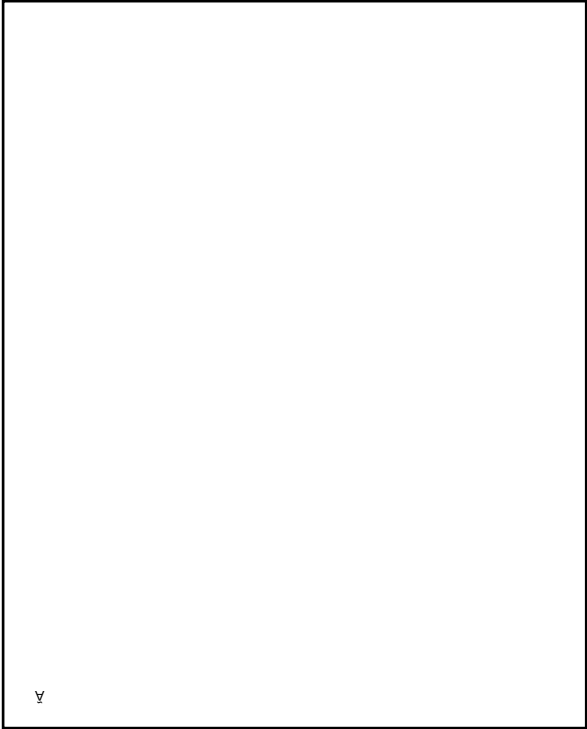
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